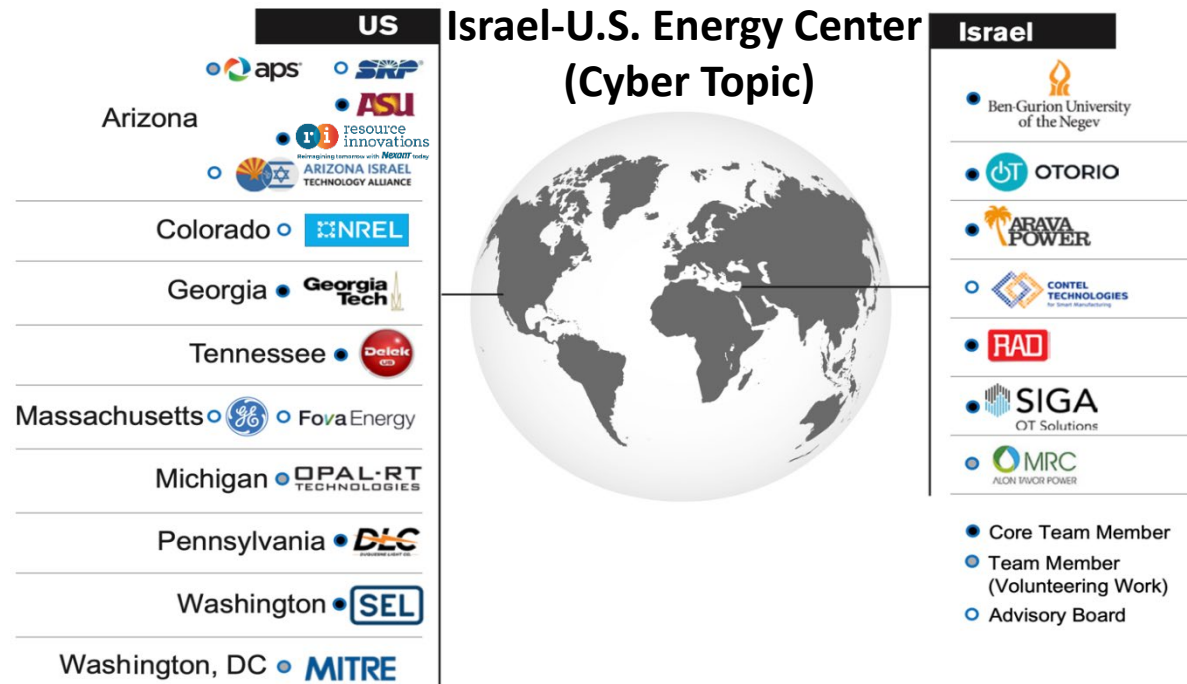


Task 1: Topology Identification for Cyber Security

Yang Weng, Bilal Saleem, and Haoran Li

Arizona State University

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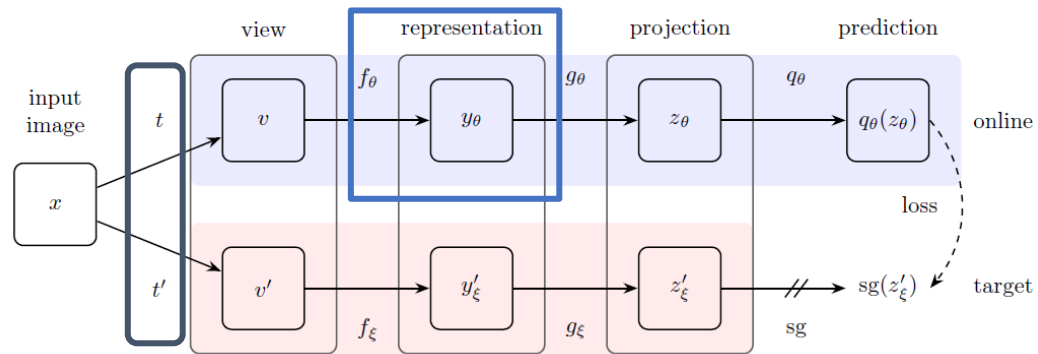


Motivation: Cyber-Security Application



System Information Identification

Use these learned features for downstream Tasks, e.g., classification



Power system measurements

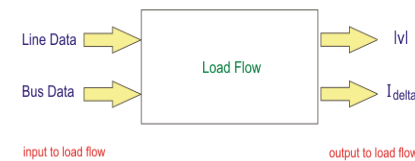
Loss Function for System Info:

$$\mathcal{L}_{\theta, \xi} \triangleq \|\overline{q_{\theta}}(z_{\theta}) - \overline{z'_{\xi}}\|_2^2$$

Idea: use this as a score for compatibility

Requirements

Hosting Capacity Analysis



Load Flow Analysis

Expensive Solution



Field Validation of Conductors

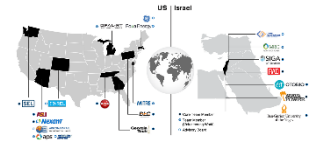


CAUTION: HUMAN ERROR



Costly

Past Work and Problem Definition



- In the past, we generated simulated data related to
 - System observability
 - Communication delay
 - Change point (Fig. shown on right)
 - PMU data (Voltage Angle)

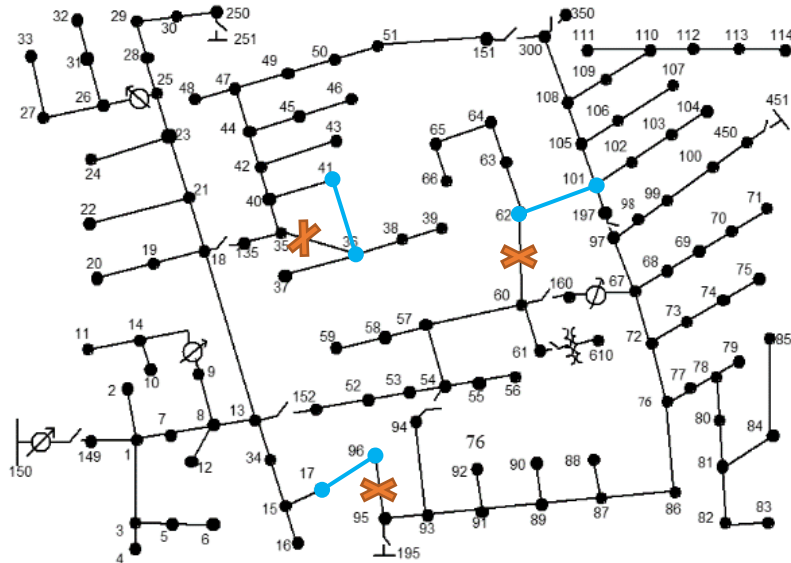


Figure: Modified IEEE-123 bus data

- Using the available data, find out which smart meters are connected to which transformer

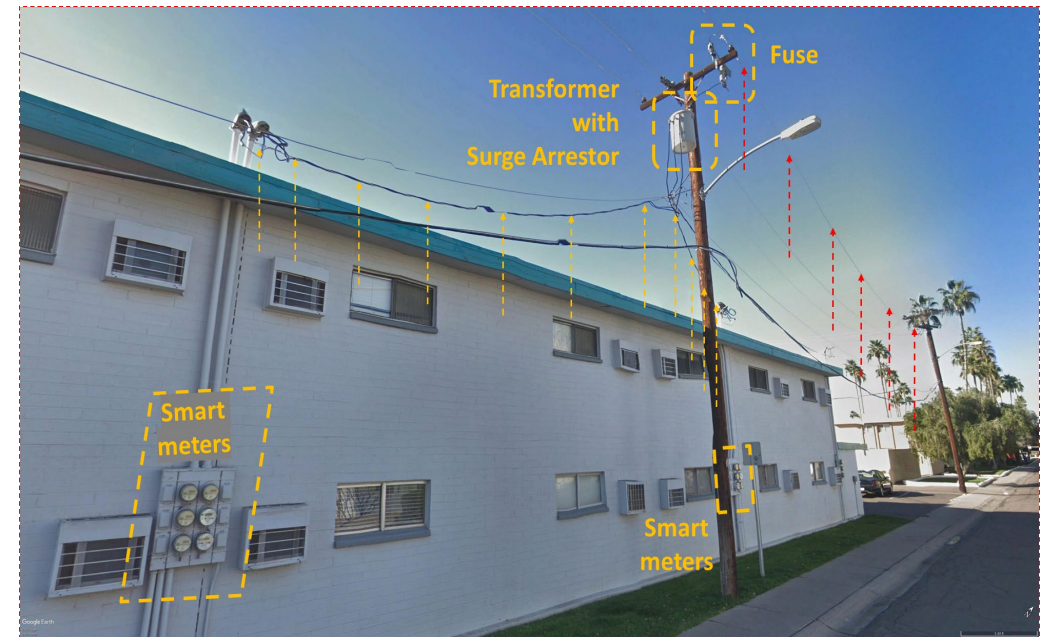


Figure: Problematic Places

Underground Lines and Transformers



- Determining transformer affiliation through **Google Maps** becomes **impossible**



Figure: A pad mounted transformer for underground distribution.



Figure: An overhead line going underground.

Transformer Association in Distribution Grids

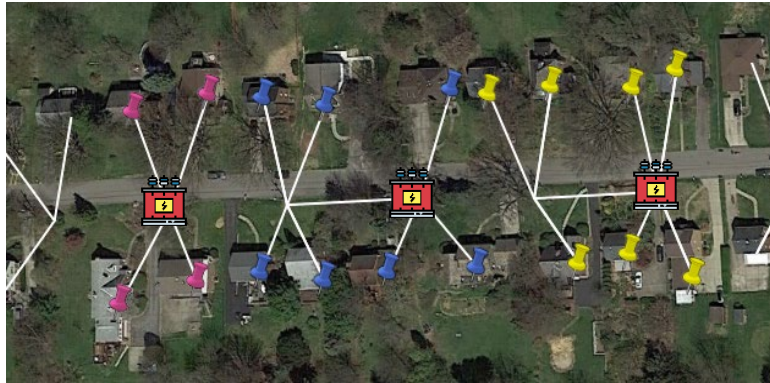
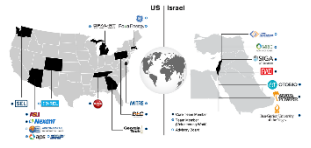
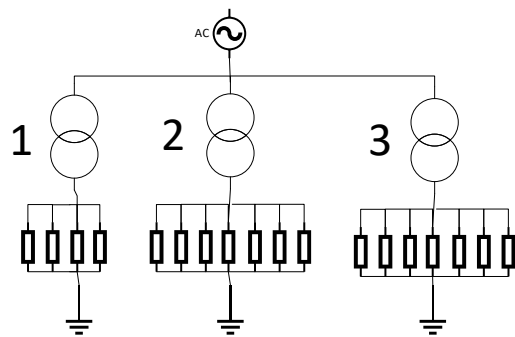


Figure: Actual Topology



Schematic of the above test case.

Transformer
Voltage Drop



Similar Meter
Voltages

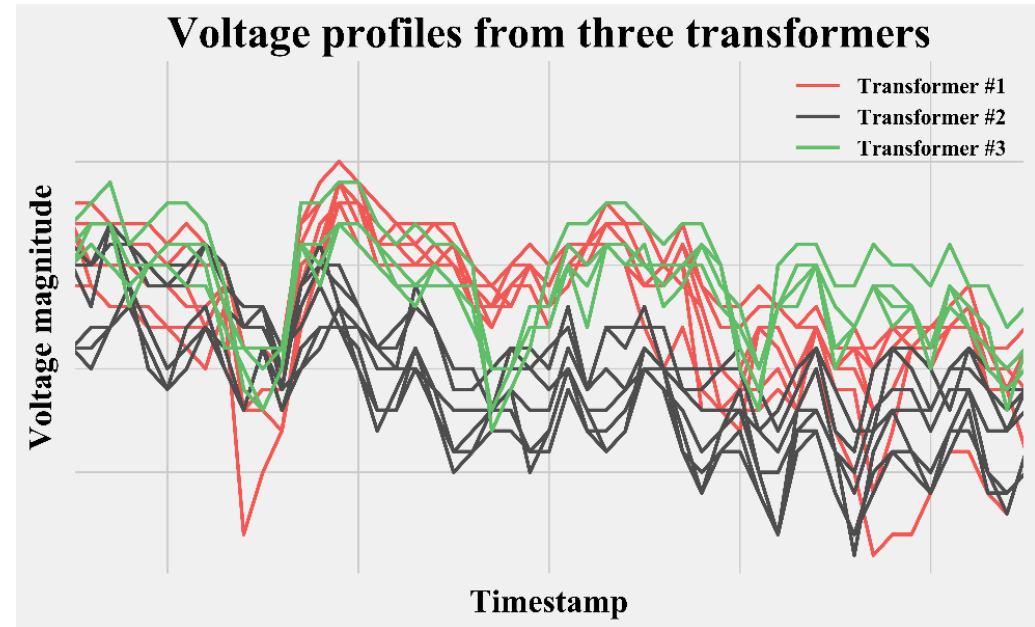
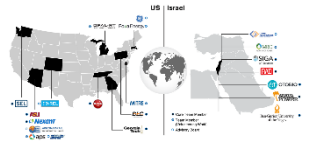
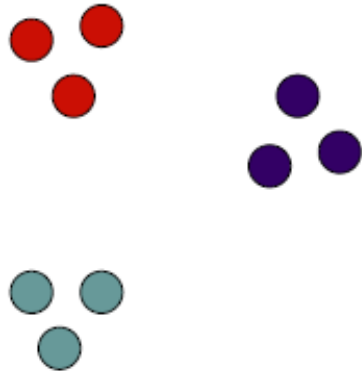


Figure: Smart Meter Voltage Data

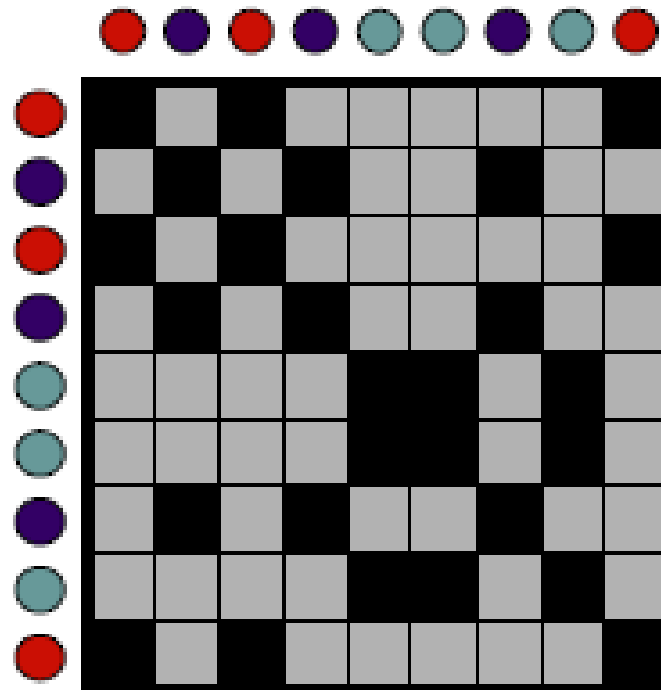
Spectral Clustering Mathematical Formulation



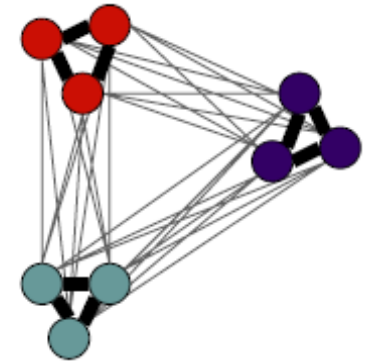
Data from Smart Meters



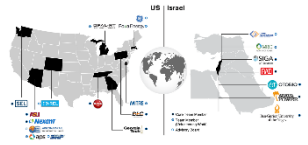
Similarity Matrix



Similarity Graph

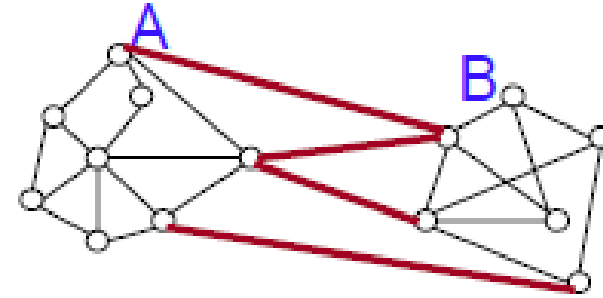


Spectral Clustering Mathematical Formulation



$$\text{cut}(A, B) := \sum_{i \in A, j \in B} w_{ij}$$

$$Q(A, B) = \text{cut}(A, B) \left(\frac{1}{\text{weight}(A)} + \frac{1}{\text{weight}(B)} \right)$$



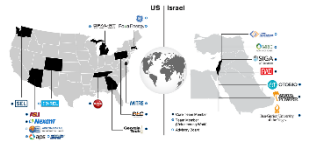
$$\min Q(A, B) = \min \frac{q^T L q}{q^T W q}, \quad \text{subject to } q^T W e = 0, q \neq 0$$

$$q_i = \begin{cases} \frac{1}{\text{vol}(A)} & \text{if } i \in A \\ -\frac{1}{\text{vol}(B)} & \text{if } i \in B \end{cases}$$

Is solved when q is the eigenvector corresponding to the 2nd smallest eigenvalue λ_2 of the generalized eigenvalue problem,

$$Lz = \lambda Wz$$

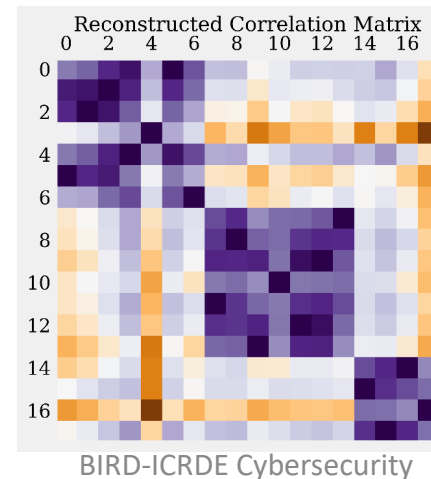
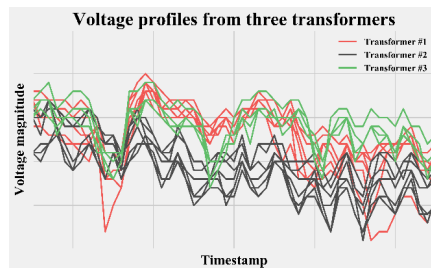
Spectral Clustering Mathematical Formulation



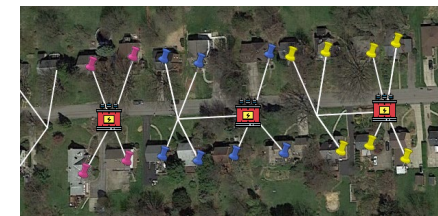
1. Given the similarity matrix A , compute the first k eigenvectors v_1, \dots, v_k
2. Build the matrix $V \in \mathbb{R}^{n.k}$ with the eigenvectors as columns

	v_1	v_2	v_3
Z_1	v_{11}	v_{12}	v_{13}
\vdots	\vdots	\vdots	\vdots
Z_n	v_{n1}	v_{n2}	v_{n3}

3. Run the K-means algorithm on the k -dimensional data Z to obtain the desired k -way multi-partitioning.
4. Results:



Transformer Association
Reconstructed 100%!



Comprehensive Cybersecurity Technology for Critical Power Infrastructure AI-based Centralized Defence and Edge Resilience

